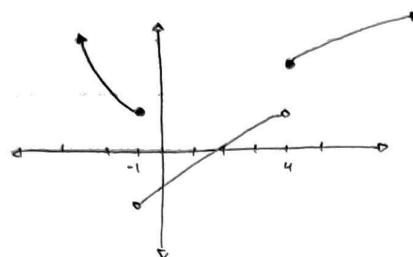
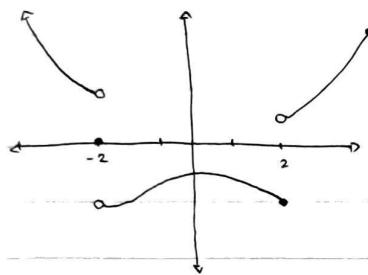


4. $(-\infty, -2) \cup (-2, 0) \cup (0, 1) \cup (1, 3)$
 $(-3, -2) \cup (-2, 0) \cup (0, 1) \cup (1, 3)$

6.



8.

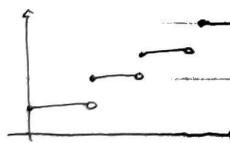


10. a. Continuous. This is because temperature doesn't suddenly change, but rather slowly adjusts.

b. Continuous. Temperature doesn't change instantly when you head inland, but rather slowly/smoothly changes.

c. Discontinuous. Altitude can suddenly change.

j. Discontinuous. Most taxis charge by mile so a function could look like



e. Discontinuous. Lights only have an on/off state, which means it jumps from one state to another. It could look like:



12. $g(t) = \frac{t^2 + 5t}{2t + 1}$

$g(t)$ is a rational function, whose domain is \mathbb{R} except for $t = -\frac{1}{2}$. Because $a=2$, $g(t)$ must be continuous.

$g(2)$ is defined ✓

$\lim_{x \rightarrow 2} g(x)$ exists ✓

$$\lim_{x \rightarrow 2} g(x) = 2.8 = \lim_{x \rightarrow 2} g(t)$$

$$g(2) = 2.8 = \lim_{x \rightarrow 2} g(x) \quad \checkmark$$

14. $f(x) = 3x^4 - 5x + \sqrt[3]{x^2 + 4}$

$f(x)$ is a polynomial function, with a root function.

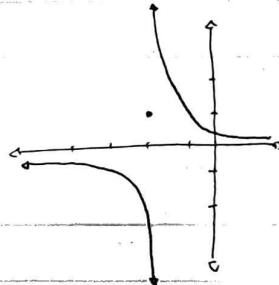
Because the root function is odd, this function is continuous as it is made of 2 continuous functions added together.

16. $f(x) = \frac{x-1}{3x+6}$

$f(x)$ is a rational function. $x-1$ is continuous at \mathbb{R} - it's linear. However $f(x)$'s domain is \mathbb{R} except -2 .

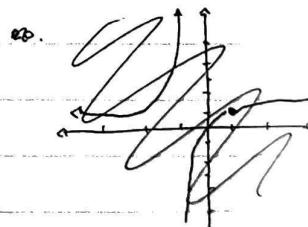
Because the given interval is $(-\infty, -2)$, $f(x)$ must be continuous, as -2 is not included.

18.



$$\lim_{x \rightarrow -2} f(x) \text{ DNE.}$$

$\therefore f(x)$ isn't continuous at -2

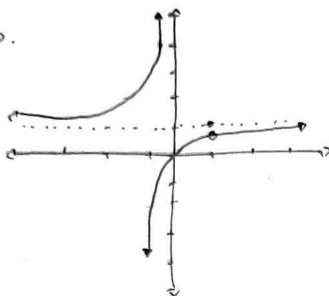


f(x) is undefined
 \therefore f(x) isn't continuous at $-1, 0, 1$

$\lim_{x \rightarrow 1} f(x) \text{ DNE.}$

Light bulb

20.

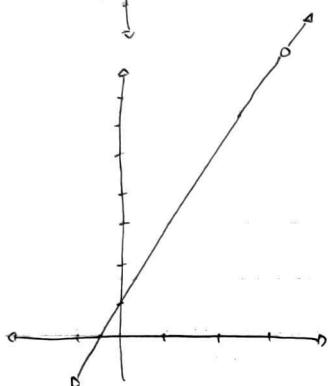


$$\lim_{x \rightarrow 1} f(x) \neq f(1)$$

when $x = 1$

$\therefore f(x)$ isn't continuous
at 1

22.



$f(x)$ isn't defined
when $x = 3$

$\therefore f(x)$ isn't continuous
at 3

$$24. f(x) = \frac{x^3 - 8}{x^2 - 4}$$

$$= \frac{(x-2)(x^2 + 2x + 4)}{(x+2)(x-2)}$$

$$= \frac{x^2 + 2x + 4}{x+2}; x \neq 2$$

Define as $\boxed{\frac{x^2 + 2x + 4}{x+2}}$