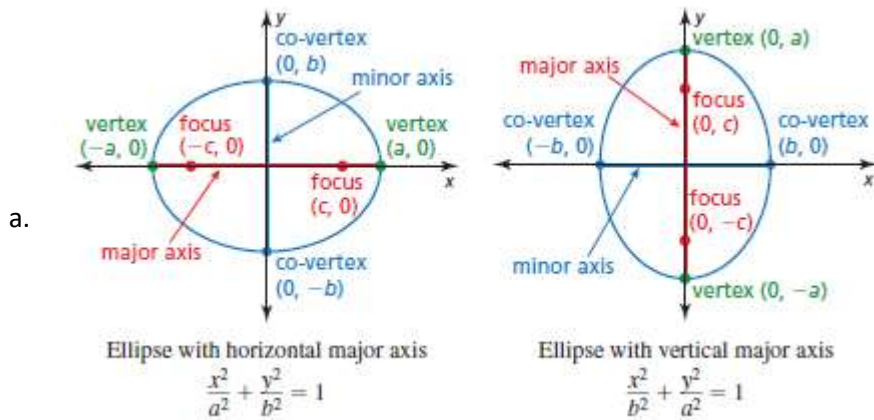


Ellipses

Thursday, April 8, 2021 9:13 PM

I. Ellipse:



b. Standard Equation of Ellipse with Center at the Origin

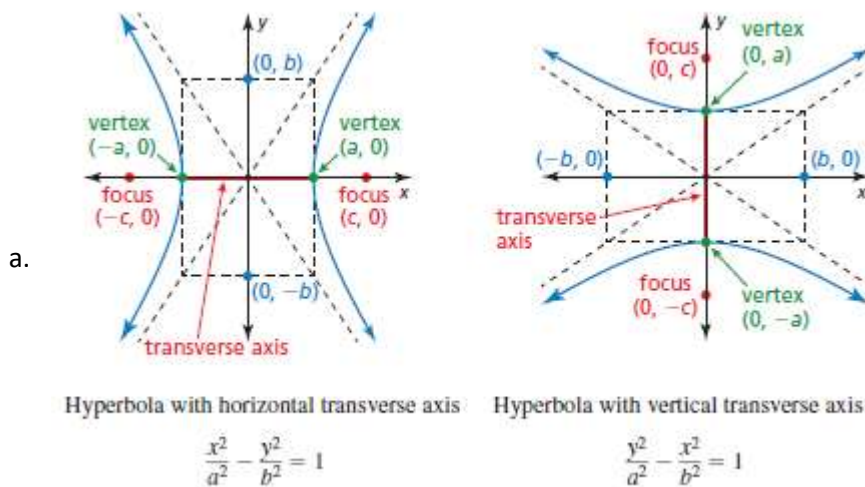
Equation	Major Axis	Vertices	Co-Vertices
$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$	Horizontal	$(\pm a, 0)$	$(0, \pm b)$
$\frac{x^2}{b^2} + \frac{y^2}{a^2} = 1$	Vertical	$(0, \pm a)$	$(\pm b, 0)$

c. Foci: $c^2 = a^2 - b^2$

Hyperbolas

Monday, April 12, 2021 10:36 PM

I. Hyperbolas



b. Standard Equation of a Hyperbola with Center at the Origin

Equation	Transverse Axis	Asymptotes	Vertices
$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$	Horizontal	$y = \pm \frac{b}{a}x$	$(\pm a, 0)$
$\frac{y^2}{a^2} - \frac{x^2}{b^2} = 1$	Vertical	$y = \pm \frac{a}{b}x$	$(0, \pm a)$

c. Foci: $c^2 = a^2 + b^2$

Translating and Classifying Conic Sections

Monday, April 12, 2021 10:57 PM

I. Translating and Classifying Conic Sections

a. Standard Form of Equations of Translated Conics

Type	Horizontal Axis	Vertical Axis
Circle	$(x - h)^2 + (y - k)^2 = r^2$	$(x - h)^2 + (y - k)^2 = r^2$
Parabola	$(y - k)^2 = 4p(x - h)$	$(y - k)^2 = 4p(x - h)$
Ellipse	$\frac{(x - h)^2}{a^2} + \frac{(y - k)^2}{b^2} = 1$	$\frac{(x - h)^2}{b^2} + \frac{(y - k)^2}{a^2} = 1$
Hyperbola	$\frac{(x - h)^2}{a^2} - \frac{(y - k)^2}{b^2} = 1$	$\frac{(x - h)^2}{b^2} - \frac{(y - k)^2}{a^2} = 1$

b. Classifying Conics Using Their Equations

Discriminant	Type of Conic
$B^2 - 4AC < 0, B = 0, A = C$	Circle
$B^2 - 4AC < 0$ and either $B \neq 0$ or $A \neq C$	Ellipse
$B^2 - 4AC = 0$	Parabola
$B^2 - 4AC > 0$	Hyperbola